第五章 量子微纳光学

- 5.1 分子荧光
- 5.2 纳米结构近场区域偶极子弛豫系数
- 5.3 SPP增强分子荧光的前沿进展
- 5.4 SPP 的量子性
- 5.5 基于超表面的量子性质
- 5.6 基于拓扑光子结构的量子性质
- 5.7 微纳尺度腔量子电动力学及应用

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5.7 微纳尺度腔量子电动力学及应用

腔量子电动力学 Cavity Quantum ElectroDynamics CQED



■ 解析求解表面等离激元的方法及应用

■ 基于表面等离激元光学的CQED及应用

■ 基于复合纳米结构的CQED

表面等离激元: 解析求解本征模式的研究方法



本征模式是分析表面等离激 元传播、局域、调控及应用 的基础

只有简单的或对称性高的纳米结构的本征模式才能解 析给出,其它情况只能用数值模拟软件

我们发展的格林矩阵等方法

能够解析给出不规则结构和多层膜等的本征模式



解决不规则纳米颗粒结构的局域模式



本征问题:由纳米金属颗粒几何形状决定的格林并矢矩阵 本征值 → 本征材料参数 本征矢 → 给出近场分布 $\begin{pmatrix} G^0(\mathbf{r},\mathbf{r}',\omega) = \\ (\mathbf{I} - \frac{1 - ik_0R}{k_0^2 R^2} \mathbf{I} - \frac{-3 + 3ik_0R + k_0^2 R^2}{k_0^2 R^4} \mathbf{RR}) \frac{\exp[i}{4\pi}$

$$\widetilde{E}(\mathbf{r}) = \sum_{n=1}^{3N} \frac{sL_n \cdot \widetilde{E^0}(\mathbf{r})}{(s-s_n)} \cdot R_n$$

$$\epsilon_n = \frac{1}{s_n} + \epsilon_0(\omega)$$

<u>PRB (2003, 2004(3))</u> <u>EPL (2008)</u> <u>Appl Phys B (2010)</u> <u>J Appl Phys (2010)</u>等

从而可以设计和裁剪局域表面等离激元

传播表面等离激元:解析求解传播本征模式的研究方法

表面等离激元波导 缺点: 传播长度短、 被动调谐 策略:加入纳米介质层和液晶等 解析求解多层柱状和薄膜波导模式 通过模式分析: 亚波长光限制和长程传播传播的杂 化模式、可主动调谐的波导模式

分束器、干涉仪等纳米光子器件 信息传输速度快、实现器件的小型化





<u>Appl Phys Lett (2013)</u> <u>Opt Lett (2014)</u> <u>Plasmonics (2013)</u> <u>Appl Phys B (2011)等</u>

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解析求解本征模式的研究方法

局域模式的格林矩阵方法 两者互补 传播模式的解析方法

表面等离激元模式分析: 局域模式+传播模式+耦合或叠加

*为我们后面在*量子表面等离激 元及其它领域应用*提供积累和* 准备

Phys. Rev. Lett.

(2015, 2017, 2021)

Nat. Nanotech. (2012)





Imaging the electrocatalytic activity of sing nanoparticles

Xiaonan Shan^{1,2}, Ismael Díez-Pérez^{1,3}, Luojia Wang⁴, Peter Wiktor¹, Ying Gu⁴*, Lihua Zhang¹, Wei Wang¹, Jin Lu^{1,5}, Shaopeng Wang¹, Qihuang Gong⁴, Jinghong Li⁵* and Nongjian Tao^{1,2}*

理论上的重要贡献 三位共同通讯作者之一

系统模拟了纳米颗粒在表面 等离激元波的散射中的近场 图样,利用局域场效应清楚 地揭示了电催化反应成像的 物理机制

单纳米颗粒电催化反应成像 与Arizona大学实验小组合作





nature nanotechnology

■ 解析求解表面等离激元的方法及应用

■ 基于表面等离激元光学的CQED及应用

■ 基于复合纳米结构的CQED





William L. Barnes, Alain Dereux & Thomas W. Ebbesen, nature, 424, 824 (2003); V. Zayatsa, et al, Phys Rep. 2005, 408:131–314;

局域场效应,为光与量子体系相互作用 带来什么新的研究机会?



Weak Coupling $g \ll \gamma, \kappa$



g Coupling strength γ damping of emitter κ damping of cavity

Strong Coupling $g \gg \gamma, \kappa$



Moderate coupling $\gamma_{QD} < g < \kappa_{sp}$



Rabi劈裂

Nature 480,193(2011); Nature 424,839(2003); Nphy 9,329(2013)

在弱耦合区域,有什么结果? 量子发射体的弛豫速率调节

$$\Gamma = \frac{2}{\overline{h}} \operatorname{Im}\{\mu_i G_{ij}(0, \omega_{\mathrm{A}})\mu_j\}$$



FIG 5 The affect of the thickness of the metal mirror on the



表面等离基元的特点: 1. 大的PurceII系数 2. 各向异性弛豫速率

R.R.Chance et al, the journal of cheimical physics, 62,2245 (1975); R. Ruppin, J. Chem. Phys. 76,1681 (1982).

在中等耦合区域,有什么结果?



 $H = \hbar \omega_e \sigma_{ee} + \hbar \omega_g \sigma_{gg} - \mu_{eg} (\sigma_{eg} + \sigma_{ge}) E_{QD}$



Garnett W. Bryant, et al, PRL 97,146801(2006); A. Ridolfo, et al., PRL 105,263601(2010)

在强耦合区域,有什么结果?



将不可逆的自发辐射过程转 换为emitter和腔模可逆的能 量交换过程

SPP的Rabi劈裂

3 340

Nature 424. 839(2003)

Phys.Rev.Lett.109.073002(2012)

2.8

2.4

2.6 Energylevj

15

强耦合的其他主要进展

------单独结构的强耦合 ^(a)







ACSNano4,6369(2010)



首先观察到表面等离激元二 聚物的强耦合

• 弱耦合范畴

• 高效可调方向性单光子发射

各向异性珀赛尔系数调控量子相干性质

● 中等耦合范畴

● 借助于表面等离激元的无粒子数反转增益

● 强耦合范畴

● 倏逝波下的耦合因子增强

提出纳米尺度导引的高效单光子发射

- 纳米尺度单光子源是实现芯片上量子信息处理的瓶颈 问题之一
- 存在的问题: 介质中单光子发射率低 (真空中的几十倍) 金属中单光子发射率高但损耗大
- 我们的解决方案 提出金属和光纤复合纳米结构, ^光 29 达到同时高效产生和收集单光子的目的



<u>Y. Gu et al.</u> <u>Phys.Rev.Lett. (2015)</u>

结合两者优势: 间隙表面等离激元超高的单光子 发射率,低损耗纳米光纤高效提 取单光子的传播部分

达到: 直接由纳米光纤通道提取单光子发 射率可达真空中的700倍

有望用于芯片上亮单光子源





Hang Lian, Ying Gu*, Juanjuan Ren, Fan Zhang, Luojia Wang, and Qihuang Gong, Efficient Single Photon Emission and Collection Based on Excitation of Gap Surface Plasmons PHYSICAL REVIEW LETTERS 114, 193002 (2015).

提出微纳尺度上主动式的自发辐射调控方案

- 主动式的自发辐射调控是限制可调谐的纳米光学器件的 关键
- 现有的被动式调节:
- 改变几何尺寸
- (不灵活,不可连续调节)
- Liquid Crystal 632.8 nm Au Low Index Metamaterial

我们的解决方案:

提出液晶,金属,低折射率超材料的复合纳米等离激元结构,实现主动,连续,可逆,宽带的自发辐射调控



<u>He Hao , Ying Gu *, Juanjuan Ren, Hongyi Chen, Iam Choon Khoo, Qihuang Gong Enhanced</u> <u>modulation of spontaneous emission via plasmonic waveguide cladded with liquid crystal and low</u> <u>index metamaterial.OE, 2017</u> High contrast switching and high-efficiency routing of spontaneous emission







He Hao, Juanjuan Ren, Ying Gu, et.al., High-contrast switching of spontaneous emission enabled by tunable gap surface plasmon, SCIENTIFIC REPORTS (2018) 8:11244 13



 $\begin{array}{ll} \gamma \downarrow total = \gamma \downarrow SPP + \gamma \downarrow nr + \gamma \downarrow r \\ \gamma \downarrow total & 103 \ \gamma 0 \ \sim 8750 \ \gamma 0 & \mathbf{C=85} \\ \gamma \downarrow spp & 42 \ \gamma_0 \ \sim 3726 \ \gamma_0 \\ \gamma \downarrow nr & 60 \ \gamma_0 \ \sim 3643 \ \gamma_0 \\ \gamma \downarrow r & \gamma 0 \ \sim 1381 \ \gamma 0 \end{array}$

Contrast ratio C = $\gamma \downarrow max / \gamma \downarrow min$

35°~~45° C=10 Fast response time ns

SCIENTIFIC REPORTS | (2018) 8:11244



η=γ↓fiber /γ↓total

collection efficiency

Up to 42% for 16-pole mode

利用表面等离激元的局域场效应及各向异性的珀 塞尔系数,演示纳米尺度上的系列量子相干现象 例如:

单分子共振荧光 自发辐射谱线变窄 双囚禁电磁感应透明 增强克尔非线性 PRB(2010) Nano Lett.(2012) Sci. Rep.(2013)

Sci. Rep. (2015)



Letter

Surface-Plasmon-Induced Modification on the Spontaneous Emission Spectrum via Subwavelength-Confined Anisotropic Purcell Factor

<mark>Ying Gu,^{*,†} Luojia Wang,[†] Pan Ren,[†] Junxiang Zhang,[‡] Tiancai Zhang,[‡] Olivier J. F. Martin,[§] and Qihuang Gong^{*,†}</mark>

<mark>控制机理:</mark>当两个偶极子的角平分线沿着有效弛豫系数椭球的 长轴(短轴)时,消(增)相干导致中心谱线变窄(变宽)。



被Science、Nano Lett.、Acs nano、Adv. Opt. Mat.、 Phys. Rev. Lett.、Opt. Lett.、Phys. Rev. A等引用 超过半数实验文章,说明理论工作对实验的启发和促进 mechanism for a host of radiative and scattering processes associated with nanophotonic systems. Field enhancement has been shown to affect surface-enhanced Raman scattering (1); nonlinear processes, such as enhanced harmonic generation (2) or wave mixing (3); nanolasing (4); plasmoni sensing (5); and enhancement of spontaneous emission (6).

The largest field enhancements in nanoplasmonic systems occur near sharp asperities or corners associated with metal nanoparticles (NPs) and within the subnanometer gaps formed between NP aggregates. An incident optical field drives currents across the NP, resulting in peak However, in a real metal, polarization charge densities are not perfectly localized at a surface but are slightly spread over a thickness near the boundary. This dispersion of the charge effec-

some volume as the charge density spreads into the NP. The scatterine spectrum ceases to be continuous and is now direct, with correspondingly reduced field enhance ents (8, 9). These effects have long been reduced by theorists; for example, Fuchs are aro (10) showed that the nonlocal effects dered here limit the response of almost-touching been reduced here limit the response The effect of including the pressure term in the electron response is that the longitudinal dielectric function, ε_L , becomes nonlocal, depending on the propagation vector **k** in addition to the frequency, as follows:

$$\varepsilon_{\rm L}(\mathbf{k},\omega) = 1 - \frac{\omega_{\rm p}^2}{\omega^2 + i\gamma\omega - \beta^2 |\mathbf{k}|^2} \qquad (2)$$

whereas the transverse response is unchanged.

The simple picture, then, of a surface charge layer with infinitesimal extent must be replaced with a continuous charge density, whose extent

possess a singularity, such as spheres that touch at a point, have been shown to possess continuous scattering spectra associated with compression of the surface plasmon wave field at the singularity. According to the local model, a pulse of surface plasmons launched into such a system

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Fig. 1. Geometry of the film-coupled nanoparticle. (Left) Schematic of the sample. (Right) Cross section of a single film-coupled nanosphere.

31 AUGUST 2012 VOL 337 SCIENCE www.sciencemag.org

6 is due to the hybridization of the SQW exciton with LSP quadrupole modes. While there is now a rapidly growing literature demonstrating plasmon–exciton hybridization in heterostructures of Au nanoparticles and J-aggregate complexes or organic dyes,^{1–4,6,7} in addition to the impressive work demonstrating strong coupling between GaAs excitons and SPPs,⁵ this is the first demonstration of a hybridized LSP-

(12) Davis, J. A.; Dao, L. V.; Wen, X.; Ticknor, C.; Hannaford, P.;

states.^{1–5} The ability to control coherent interactions between nanoscale plasmonic and excitonic systems has opened up a wealth of possible applications for nanoquantum devices.^{6,7}

Grundmann, M. Appl. Phys. A: Mater. Sci. Process. 2007, 88, 99–104. (14) Park, S.-H.; Ahn, D. Appl. Phys. Lett. 2005, 87, 253509.

6156

dx.doi.org/10.1021/nl3029784 | Nano Lett. 2012, 12, 6152-6157

4篇实验文章[Nano.Lett、Acs Nano、Adv.Opt.Mat.、 Adv.Func.Mat.] 中,作者多次提到这个工作并阐述了工作的意 义:认为对表面等离激元和激子之间相干相互作用的操控,开 启了纳米量子器件可能的应用,以及表面等离激元和激子的杂 化对量子体系光谱的精准调控是一个蓬勃发展的领域。

tric environment (*e.g.*, Purcell effect).⁹ This approach is becoming increasingly popular as methods to precisely control the relative position and orientation of active optical units at the nanoscale have become available.^{10,11} Interfaces,¹² microcavities,¹³ nanorods,^{14–18} nanospheres,^{19–25} gratings,²⁶ and photonic crystals²⁷ have been used to engineer the radiative emission rate and quantum efficiency of fluorophores. avoiding instability of the intermediates during the ligand exchange and assembly. Therefore additional methods are required to produce anisotropic emitterplasmon nanostructures so as to forward the understanding of spacing, location, and dipole orientation on coupled plasmon—exciton photophysics.^{11,35,36,44} One critical factor limiting the high-yield low-variability

dipole field can be estimated with Fermi's @2013 American Chemical Society

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www.acsnano.org

Polarized Linewidth-Controllable Double-Trapping EIT Spectra in a Resonant Plasmon Nanocavity



Luojia Wang, Ying Gu et al. Polarized linewidth-controllable double-trapping electromagnetically induced transparency spectra in a resonant plasmon nanocavity, Scientific Reports, 3, 2879 (2013).

电磁感应透明(EIT)







S. E. Harris, Physics Today, 50, 36 (1997)

理论

 $|\Omega_{11}\Omega_{22} - \Omega_{12}\Omega_{12}|$

In the dipole, rotating-wave and Weisskopf-Wigner approximations, the state vectors $A_1(t), A_2(t), B_1(t)$, and $B_2(t)$ obey the Schrödinger equations [20]:

$$\frac{d}{dt}A_{1}(t) = -(i\Delta_{11} + \frac{\gamma_{11} + \gamma_{12}}{2})A_{1}(t) - \frac{\kappa_{1} + \kappa_{2}}{2}A_{2}(t) - i\Omega_{11}B_{1}(t) - i\Omega_{12}B_{2}(t), \qquad (2a)$$

$$\frac{d}{dt}A_{2}(t) = -(i\Delta_{21} + \frac{\gamma_{21} + \gamma_{22}}{2})A_{2}(t) - \frac{\kappa_{1}^{*} + \kappa_{2}^{*}}{2}A_{1}(t) - i\Omega_{21}B_{1}(t) - i\Omega_{22}B_{2}(t), \qquad (2b)$$

$$\frac{d}{dt}B_1(t) = -i\Omega_{11}^*A_1(t) - i\Omega_{21}^*A_2(t),$$

$$\frac{d}{dt}B_2(t) = -i(\Delta_{11} - \Delta_{12})B_2(t) - i\Omega_{12}^*A_1(t) - i\Omega_{22}^*A_2(t).$$



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新囚禁条件: C=C1∪C2
C1: 双光子共振条件
C2: 粒子囚禁条件
与透明点类似

$$|\Omega_{11}\Omega_{22} - \Omega_{12}\Omega_{21}|^2 - (\Delta_{11} - \Delta_{12}) \Delta_{11}|\Omega_{21}|^2 + \Delta_{21}|\Omega_{11}|^2$$

 $+ i(\Delta_{11} - \Delta_{12}) \frac{\gamma_{11} + \gamma_{12}}{2}|\Omega_{21}|^2 + \frac{\gamma_{21} + \gamma_{22}}{2}|\Omega_{11}|^2 - \frac{\kappa_1 + \kappa_2}{2}\Omega_{11}^*\Omega_{21} - \frac{\kappa_1^* + \kappa_2^*}{2}\Omega_{11}\Omega_{21}^*) = 0.$

(2c)

(2d)

Luojia Wang, Ying Gu et al. Polarized linewidth-controllable double-trapping electromagnetically induced transparency spectra in a resonant plasmon nanocavity, Scientific Reports, 3, 2879 (2013).

相互作用哈密顿量:

 $\begin{aligned} H_{int} &= \hbar \Delta_{11} |a_1\rangle \langle a_1| + \hbar \Delta_{21} |a_2\rangle \langle a_2| + \hbar (\Delta_{11} - \Delta_{12}) |b_2\rangle \langle b_2| \\ &+ (\hbar \Omega_{11} |a_1\rangle \langle b_1| + \hbar \Omega_{21} |a_2\rangle \langle b_1| + \hbar \Omega_{12} |a_1\rangle \langle b_2| + \hbar \Omega_{22} |a_2\rangle \langle b_2| + H.c.). \end{aligned}$



三峰的线宽取决于Rabi频率,失谐,各向异性弛豫速率, 交叉驰豫,和上能级的间距.

Luojia Wang, Ying Gu et al. Polarized linewidth-controllable double-trapping electromagnetically induced transparency spectra in a resonant plasmon nanocavity, Scientific Reports, 3, 2879 (2013).

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三峰EIT光谱的线宽控制



两平行偶极子 1. 出现新的透明点. Y. J. Zhen et al. PHYSICAL

 1. J. Zhen et al. PHYSICAL

 REVIEW A 83, 013810 (2011).

 2. 峰位置与哈密顿量本征值一

 致.

3. 线宽受上能级间距影响明显 linewidths are very sensitive to the spacing between two upper levels.



共振表面能力激元微腔的偏振EIT



Luojia Wang, Ying Gu et al. Polarized linewidth-controllable double-trapping electromagnetically induced transparency spectra in a resonant plasmon nanocavity, Scientific Reports, 3, 2879 (2013).

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Luojia Wang, Ying Gu et al. Polarized linewidth-controllable double-trapping electromagnetically induced transparency spectra in a resonant plasmon nanocavity, Scientific Reports, 3, 2879 (2013).

提出纳米尺度复合结构克尔非线性的调控

纳米尺度非线性光学平台是实现芯片上量子信息处理的重 要部分之一

存在的问题:

 1. 传统的非线性体材料受限于其自身体 积因素,阻碍了技术的发展
 2. 利用自发诱导相干效应对于克尔非线 性的调控,受限于非垂直偶极矩情形, 实验实现困难



<u>Sci.Rep. (2015)</u>

我们的解决方案 提出表面等离激元和量子发射体复合结构,达到在纳米尺度实 现对于克尔非线性效应的有效调控目的
调控机理:

利用量子发射体与光场的相干相互作用 以及表面等离激元结构提供亚波长尺度 的各向异性珀塞尔系数,使得垂直偶极 矩情形,增强自发诱导相干效应

z (nm) x (nm)

达到<mark>:</mark> 在纳米尺度对于克尔非线性效应的 依赖于原子空间位置的有效调控

有望作为芯片上非线性光学器件



Hongyi Chen, Juanjuan Ren, Ying Gu*, Dongxing Zhao, Junxiang Zhang and Qihuang Gong, Nanoscale Kerr Nonlinearity Enhancement Using Spontaneously Generated Coherence in Plasmonic Nanocavity, SCIENTIFIC REPORTS 5,18315 (2015).

• 弱耦合范畴

- 高效方向性单光子发射
- 各向异性珀赛尔系数调控量子相干性质

中等强度耦合范畴 借助于表面等离激元的无粒子数反转增益

• 强耦合范畴

● 倏逝波下的耦合因子增强

在中等强度耦合区域,预测杂化体系中新奇量子效应,如 金属颗粒辅助的无布居数反转增益效应 激子通道借助表面等离激元裁剪的Fano线型

PRB(2014), Appl.Phys.Lett.(2014), PRA (2015)

金属颗粒辅助的无布居数反转增益效应



什么是暗表面等离激元?

暗表面等离激元:由于偶极矩消失引起的非辐射局域表 面等离激元模式



在我们实例中, 暗模式间接地被附近的量子点激发

Mingzhao Liu, et al., PRL102,107401 (2009). Jonathan A. Fan, et al., Science, 328,1135 (2010).

基本想法: 暗表面等离激元如何在QD-MNP相互作用中起 作用的?



QD作用的三条路径

 $I \to \mu_{23}^{QD} \qquad I: \text{Incident light}$ $I \to B^{MNP} \to \mu_{23}^{QD} \qquad B^{MNP}: \text{Bright Plasmon of MNP}$ $\mu_{23}^{QD} \to B^{MNP} + D^{MNP} \to \mu_{23}^{QD} \qquad D^{MNP}: \text{Dark Plasmons of MNP}$

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Ying Gu, et al. Dark-Plasmon-Induced Gain Without Inversion in a Hybrid Quantum Dot-Metallic Nanoparticle System, Submitted.



$$H = \sum_{i=1}^{3} h \omega_i \sigma_{ii} - \mu_{23} (\sigma_{23} + \sigma_{32}) E_{23} - \mu_{13} (\sigma_{13} + \sigma_{31}) E_{13}$$

Transition $|2\rangle \leftrightarrow |3\rangle$ is on-resonance with the surface plasmon of MNP

Transition $|1\rangle \leftrightarrow |3\rangle$ is off-resonance with the surface plasmon of MNP

$$E_{13}^+ = \frac{E_p}{2} e^{-i\omega_p t}$$

<u>Ying Gu, et al. Dark-Plasmon-Induced Gain Without Inversion in a Hybrid Quantum Dot-</u> <u>Metallic Nanoparticle System</u>, PRB, 2014.

- - -----

非线性 Master equation

$$H = \hbar (\Delta_p - \Delta_c) \sigma_{22} + \hbar \Delta_p \sigma_{33} - \hbar [(\Omega'_c + G_c \rho_{32}) \sigma_{32} + H.c.] - \hbar (\Omega_p \sigma_{31} + H.c.),$$

$$\Omega'_c = \Omega_c + \frac{\mu_{23} E_2^+}{\hbar} \text{ and } G_c = \frac{\mu_{23} E_3^+}{\hbar} \qquad \overbrace{Q_p}^{\Delta_p} \frac{\Delta_c}{\Delta_c} |_3 \land f_c = \frac{\mu_{23} E_1^+}{\hbar} \qquad \overbrace{Q_p}^{\Delta_p} \frac{\Delta_c}{\Delta_c} |_2 \land f_c = \frac{\mu_{23} E_1^+}{R} \qquad \overbrace{Q_p}^{\Delta_p} \frac{\Delta_c}{\Delta_c} |_2 \land f_c = \frac{\mu_{23} E_1^+}{R} \qquad \overbrace{Q_p}^{\Delta_p} \frac{\Delta_c}{\Delta_c} |_2 \land f_c = \frac{\mu_{23} E_1^+}{R} \qquad \overbrace{Q_p}^{\Delta_p} \frac{\Delta_c}{\Delta_c} |_2 \land f_c = \frac{\mu_{23} E_1^+}{R} \qquad \overbrace{Q_p}^{\Delta_p} \frac{\Delta_c}{\Delta_c} |_2 \land f_c = \frac{\mu_{23} E_1^+}{R} \qquad \overbrace{Q_p}^{\Delta_p} \frac{\Delta_c}{\Delta_c} |_2 \land f_c = \frac{\mu_{23} E_1^+}{R} \qquad \overbrace{Q_p}^{\Delta_p} \frac{\Delta_c}{\Delta_c} |_2 \land f_c = \frac{\mu_{23} E_1^+}{R} \qquad \overbrace{Q_p}^{\Delta_p} \frac{\Delta_c}{\Delta_c} |_2 \land f_c = \frac{\mu_{23} E_1^+}{R} \qquad \overbrace{Q_p}^{\Delta_p} \frac{\Delta_c}{\Delta_c} |_2 \land f_c = \frac{\mu_{23} E_1^+}{R} \qquad \overbrace{Q_p}^{\Delta_p} \frac{\Delta_c}{\Delta_c} |_2 \land f_c = \frac{\mu_{23} E_1^+}{R} \qquad \overbrace{Q_p}^{\Delta_p} \frac{\Delta_c}{\Delta_c} |_2 \land f_c = \frac{\mu_{23} E_1^+}{R} \qquad \overbrace{Q_p}^{\Delta_p} \frac{\Delta_c}{\Delta_c} |_2 \land f_c = \frac{\mu_{23} E_1^+}{R} \qquad \overbrace{Q_p}^{\Delta_p} \frac{\Delta_c}{\Delta_c} |_2 \land f_c = \frac{\mu_{23} E_1^+}{R} \qquad \overbrace{Q_p}^{\Delta_p} \frac{\Delta_c}{\Delta_c} |_2 \land f_c = \frac{\mu_{23} E_1^+}{R} \qquad \overbrace{Q_p}^{\Delta_p} \frac{\Delta_c}{\Delta_c} |_2 \land f_c = \frac{\mu_{23} E_1^+}{R} \qquad \overbrace{Q_p}^{\Delta_p} \frac{\Delta_c}{\Delta_c} |_2 \land f_c = \frac{\mu_{23} E_1^+}{R} \qquad \overbrace{Q_p}^{\Delta_p} \frac{\Delta_c}{\Delta_c} |_2 \land f_c = \frac{\mu_{23} E_1^+}{R} \qquad \overbrace{Q_p}^{\Delta_p} \frac{\Delta_c}{\Delta_c} |_2 \land f_c = \frac{\mu_{23} E_1^+}{R} \qquad \overbrace{Q_p}^{\Delta_p} \frac{\Delta_c}{\Delta_c} |_2 \land f_c = \frac{\mu_{23} E_1^+}{R} \qquad \overbrace{Q_p}^{\Delta_p} \frac{\Delta_c}{\Delta_c} |_2 \land f_c = \frac{\mu_{23} E_1^+}{R} \qquad \overbrace{Q_p}^{\Delta_p} \frac{\Delta_c}{\Delta_c} |_2 \land f_c = \frac{\mu_{23} E_1^+}{R} \qquad \overbrace{Q_p}^{\Delta_p} \frac{\Delta_c}{\Delta_c} |_2 \land f_c = \frac{\mu_{23} E_1^+}{R} \qquad \overbrace{Q_p}^{\Delta_p} \frac{\Delta_c}{\Delta_c} |_2 \land f_c = \frac{\mu_{23} E_1^+}{R} \qquad \overbrace{Q_p}^{\Delta_p} \frac{\Delta_c}{\Delta_c} |_2 \land f_c = \frac{\mu_{23} E_1^+}{R} \qquad \overbrace{Q_p}^{\Delta_p} \frac{\Delta_c}{\Delta_c} |_2 \land f_c = \frac{\mu_{23} E_1^+}{R} \qquad \overbrace{Q_p}^{\Delta_p} \frac{\Delta_c}{\Delta_c} |_2 \land f_c = \frac{\mu_{23} E_1^+}{R} \qquad \overbrace{Q_p}^{\Delta_p} \frac{\Delta_c}{\Delta_c} |_2 \land f_c = \frac{\mu_{23} E_1^+}{R} \qquad \overbrace{Q_p}^{\Delta_p} \frac{\Delta_c}{\Delta_c} |_2 \land f_c = \frac{\mu_{23} E_1^+}{R} \qquad \overbrace{Q_p}^{\Delta_p} \frac{\Delta_c}{\Delta_c} |_2 \land f_c = \frac{\mu_{23} E_1^+}{R} \qquad \overbrace{Q_p}^{\Delta_p} \frac{\Delta_c}{\Delta_c} |_2 \land f_c = \frac{\mu_{23} E_1^+}{R} \qquad \overbrace{Q_p}^{\Delta_p} \frac{\Delta_c}{\Delta_c} |_2 \land f_c = \frac{\mu_{23} E_1^+}{R} \qquad \overbrace{Q_p}^+} (A_$$

$$\mathbf{A} = \frac{i}{h} [\rho, H] + L(\rho)$$

$$\mathbf{反 } \mathbf{ C} \mathbf{ C}$$



2nd解 非稳定





3rd解较强的作用





无反转增益(GWI)





1. 增益存在于QD的|2,↔|3) 通道.

- 2. QD的增益产生于MNP到 QD的能量转移过程.
- 3. 在增益效应中没有粒子数 反转.
- 4. GWI 与初态相关.

 $\Omega_p = 0.005\Gamma$, $\Omega_c = 0.5\Gamma$, $\Delta_c = 0$ and $\Delta_p = -0.5$ (only for (d))

the imaginary part of $-2\hbar\omega_c\Omega_c\rho_{32}$

<u>Ying Gu, et al. Dark-Plasmon-Induced Gain Without Inversion in a Hybrid Quantum Dot-</u> Metallic Nanoparticle System, PRB (2014).

暗表面等离激元如何作用?





- 1. 增益产生于MNP暗模式的反馈
- 2. 增益在MNP表面等离激元亮模式和暗模式重叠最大的 时候达到最大值.

Ying Gu, et al. Dark-Plasmon-Induced Gain Without Inversion in a Hybrid Quantum Dot-Metallic Nanoparticle System, PRB 2014 粒子数反转增益 新的机制: MNP暗表面等离激元的反馈 受初态影响 可调节并且实验可行 可能应用 超紧凑量子点激光器 太阳能电池 量子态制备和粒子数转移

提出局域表面等离激元结构调控量子比特纠缠

量子纠缠是量子计算、隐形传态、量子通信的基础,实现 芯片上量子信息是未来发展的重要方向

目的:

利用表面等离激元<mark>局域性质</mark>增强量子比特纠缠; 研究<mark>失谐</mark>对于稳态纠缠的影响

我们的方案: 量子点-金属球-量子点结构; 利用量子点与金属球之间的反馈作用





Fan Zhang, Dongxing Zhao, Ying Gu*, Hongyi Chen, and Qihuang Gong. Detuning-enhanced two-qubit entanglement mediated by localized surface plasmons. JAP, 2017.

倏逝波调控金属球−量子发射体结构纠缠



Fan Zhang, Ying Gu et al. J. Phys.: Condens. Matter 30 305302 (2018)

• 弱耦合范畴

• 高效方向性单光子发射

• 各向异性珀赛尔系数调控量子相干性质

中等耦合范畴 倏逝波下的耦合因子增强

● 强耦合范畴

● 倏逝波下的耦合因子增强

倏逝波增强量子体系 / 表面等离激元相互作用

CQED强耦合在量子信息方面有潜在应用,如可以把原子作为量子存储节 点,而光子成为飞行量子比特。

但是为了集成以及可扩展的需要,必须发展模式体积更小的腔



Nano Lett. 2013, 13, 3281

PRL 114,157401 (2015)

由于表面等离激元的<mark>內禀损耗以及低的收集和传导效率,真正单个表</mark>面 等离激元结构和单个原子的强耦合没有实现.





倏逝波被局域在一维(对于纳米光纤和金属纳米线)或二维(金属 薄膜或金属板)空间中,所以倏逝波下表面等离激元结构的模式会 比在真空下更加局域 (1)更加局域的电磁场可以增强耦合因子 (2)可以通过倏逝波有效的收集和传导光子

nanofiber







通过银纳米线增强耦合因子



- (1) 耦合因子分别是没有银纳米线时的1.99倍(b)和1.64倍(e)
- (2) 长银纳米棒受倏逝波的影响更大,这是因为长的纳米棒可以 感受到更大的电场倏逝

通过银膜增强耦合因子



拉比劈裂,光子的有效传导和收集





变化量子发射体的电偶极矩 所得自发辐射谱,当为原子 偶极矩时,出现拉比劈裂

η	=	Γ _{ev}
		Γ _{total}

channeling efficiency
30.94 %
52.06 %
71.94 %
20.03 %
40.06 %

传导效率为 30%-70%.

Y. Gu et al. PRL 118, 073604 (2017)





耦合系数(对于1个emitter) $g_0^{mid} = 47.84 \text{ meVVS} \quad g_0 = 45 \text{ mev}$

共振波长,表面等离激元微腔损耗 $\lambda = 660 \text{ nm}$ VS $660 \pm 10 \text{ nm}$ $\kappa = 100.1 \text{ mev}$ VS 122 mev

288 meV VS 300 meV



b

Nature 535, 127 (2016)

- 1 为我们的理论工作提供了实验支持(结构制备,距离控制等)
- 2 我们更加清晰地阐述了疏逝真空增强耦合系数的机制:对更长金属 颗粒的的耦合系数增强越大(而这里金纳米球大小是固定的)
- 3 利用疏逝真空进行收集和传导光子

解析求解表面等离激元的方法及应用 基于表面等离激元光学的CQED及应用

■ 基于复合纳米结构的CQED

基于复合纳米结构的CQED

一、微纳光子结构中光子-激子手性耦合

二、拓扑保护下珀塞尔效应





一、微纳光子结构中的光子和激子的手性耦合

Various "Chirality" Chiral structures





Chiral electric field in PC



PRL,106,057402(2011) nanoscale, 6 14244 (2014)

Nature 541, 473(2017).

Chiral photon- emitter coupling

When a circularly polarized emitter placed near these structures?



Lock the local polarization of the light to its propagation direction, so called spin-locked propagation

Nature 541, 473(2017).

Various nonreciprocal quantum circuits

Switching



Science 345, 903 (2014)

Entanglement



PRB 92, 155304 (2015)

Isolator



PRX 5, 41036 (2016)

Routing



PRA 94, 063817(2016)

Quantum gate



Nat. Nanotechnol. 10, 775(2015)

Trapping



PRA 94, 53855 (2017)63

Motivation



Solution: coupled nanophotonic structures





Mode coupling between PC and AgNP

Strong local field with high electric helicity

50

Helicity of z direction:

(b) only PC

$$\frac{2\mathrm{Im}[E_x E_y^*]}{|E_x|^2 + |E_y|^2}$$







Fan Zhang, Ying Gu et.al, PRA 100, 053841 (2019)

Result of mode coupling

For PC: The shift of Bandgap For AgNP: mode 1 mode 3 for Purcell enhancement mode 2 for Rabi splitting bandedge mode



Fan Zhang, Ying Gu et.al, PRA 100, 053841 (2019)

Emitte

Nanoscale Direction-locked Purcell enhancement

 $\gamma_{\rm tot}/\gamma_0$ **4500 ~ 4800** $\gamma_{\rm WG}/\gamma_0$ **100 ~ 260**

Directionality: 93% ~ 98%

$$D_{\mathrm{R/L}} = rac{W_{\mathrm{R/L}}}{W_{\mathrm{R}} + W_{\mathrm{L}}}$$

1500 3000 |*E*| (V/m) φ



Fan Zhang, Ying Gu et.al, PRA 100, 053841 (2019)

Direction-locked vacuum Rabi splitting at the nanoscale



Fan Zhang, Ying Gu et.al, PRA 100, 053841 (2019)

Purcell enhancement and directional propagation control in hybrid nanowire-AgNP structure



二、拓扑保护下珀塞尔效应

拓扑光子学简介

Topology grew out of the study of geometry. Topological equivalence: reshape without cuts and glues



Gauge theories (1970s): topology of quantum field theory Integer quantum Hall effect (1980s): link between geometry phase and topology, topological insulators Nowadays: photonic system, electronic system, mechanical systems

Property of topological photonics

- 1. Topological robustness, protection
- 2. Unidirectional waveguides that allow light to flow around large imperfections without back-reflection (Like Highway)
- 3. Bulk-edge correspondence (band&edge, no bulk no edge)



Science 365.6458 (2019)

为什么做这个问题?

问题: 拓扑保护下的单光子源

单光子源的角度:

Micro/Nanoscale single photon source is an indispensable building block in on-chip quantum information processing. However, their scattering and absorption are two barriers when guiding these single photons into other devices.

拓扑的角度:

Topological states are characterized as nonscattering propagation of photons and immunity to a wide class of impurities and defects. However, introducing topological protection into the Purcell enhancement has not been reported yet.

Zhiyuan Qian, Zhichao Li, and Ying Gu et al. PHYSICAL REVIEW LETTERS 126, 023901 (2021)
拓扑保护下,边界态主导的模式耦合原理



Zhiyuan Qian, Zhichao Li, and Ying Gu et al. PHYSICAL REVIEW LETTERS 126, 023901 (2021)

有无拓扑保护下电场和能流分布



Zhiyuan Qian, Zhichao Li, and Ying Gu et al. PHYSICAL REVIEW LETTERS 126, 023901 (2021)

拓扑保护下珀塞尔系数的吸收减少



Zhiyuan Qian, Zhichao Li, and Ying Gu et al. PHYSICAL REVIEW LETTERS 126, 023901 (2021)



- 1. 拓扑保护性第一次用于CQED
- 2. 这个想法可以推广到2D或高阶拓扑结构
- 3. 推进拓扑结构用于单光子源和纳米激光
- 4. 强耦合中。。。

总之:

研究多种微纳结构及其组合 其中的量子光场及其和量子体系耦合 腔量子电动力学、量子干涉及量子信息











Thank you for your attention!

